

Reg. No:

--	--	--	--	--	--	--	--	--	--

SIDDHARTH INSTITUTE OF ENGINEERING & TECHNOLOGY:: PUTTUR
(AUTONOMOUS)

B.Tech III Year II Semester Regular Examinations July-2021
MODERN CONTROL THEORY
(Electrical and Electronics Engineering)

Time: 3 hours

Max. Marks: 60

PART-A

(Answer all the Questions 5 x 2 = 10 Marks)

- | | | | | |
|---|---|--|----|----|
| 1 | a | Write any two properties of state transition matrix. | L1 | 2M |
| | b | What is controllability? | L1 | 2M |
| | c | Define state observer. | L1 | 2M |
| | d | Write the Classification of Nonlinearities. | L2 | 2M |
| | e | State Lyapunov instability theorem. | L5 | 2M |

PART-B

(Answer all Five Units 5 x 10 = 50 Marks)

UNIT-I

- | | | | | |
|---|---|--|----|----|
| 2 | a | Derive a solution of homogeneous state equation. | L3 | 5M |
| | b | Obtain the state transition matrix of | L1 | 5M |

$$A = \begin{bmatrix} -6 & 1 & 0 \\ -11 & 0 & 1 \\ -6 & 0 & 0 \end{bmatrix}$$

OR

- | | | | | |
|---|---|--|----|----|
| 3 | a | Explain state space representation of the system. | L1 | 5M |
| | b | Obtain state transition matrix for the following system: | L1 | 5M |

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ -2 & -3 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix}$$

UNIT-II

- | | | | | |
|---|--|---|----|-----|
| 4 | | The state model of a system is given by | L2 | 10M |
|---|--|---|----|-----|

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \\ \dot{x}_3 \end{bmatrix} = \begin{bmatrix} 0 & 0 & 1 \\ -2 & -3 & 0 \\ 0 & 2 & -3 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} + \begin{bmatrix} 0 \\ 2 \\ 0 \end{bmatrix} u \quad Y = [1 \ 0 \ 0] \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix}$$

Convert the state model to canonical form.

OR

- 5 a Define Observability. What are the tests to find the Observability of a given system? L1 5M
 b The state equation is given by L4 5M

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \\ \dot{x}_3 \end{bmatrix} = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ 0 & 2 & -3 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} + \begin{bmatrix} 0 \\ 0 \\ 10 \end{bmatrix} u$$

Test for controllability.

UNIT-III

- 6 Explain the design of pole placement controller using state feedback. L1 10M

OR

- 7 The state model is given by L2 10M

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \\ \dot{x}_3 \end{bmatrix} = \begin{bmatrix} 0 & 0 & 1 \\ -2 & -3 & 0 \\ 0 & 2 & -3 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix} + \begin{bmatrix} 0 \\ 2 \\ 0 \end{bmatrix} u, \quad Y = [1 \ 0 \ 0] \begin{bmatrix} x_1 \\ x_2 \\ x_3 \end{bmatrix}$$

Convert the state model to controllable phase variable form.

UNIT-IV

- 8 Derive the describing function of backlash nonlinearities. L6 10M

OR

- 9 Derive the describing function of saturation nonlinearities. L6 10M

UNIT-V

- 10 a State and prove Lyapunov stability theorem. L5 5M
 b Show the graphical representation of stability, asymptotic stability and instability. L1 5M

OR

- 11 Consider the non-linear system: $\dot{x}_1 = x_2, x_2 = -x_1 - x_1^2 x_2$. investigate the stability of this non-linear system around its equilibrium point at origin. L1 10M

END